

Multicomponent stellar wind and chemical peculiarity in A stars

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Acceleration of hot star winds

Hot star winds are accelerated mainly by absorption of radiation in resonance lines:

1. absorption of radiation by C, N, O, Fe, etc. (minor wind component), light scattering by free electrons
2. transfer of obtained momentum to the major wind component (H, He)
 - *high density winds* – no multicomponent effects (e.g. stellar winds of galactic O stars)
 - *low density winds* – frictional heating, possible decoupling of wind components, etc.

Multicomponent model equations

Stationary spherically symmetric hydrodynamic equations for multicomponent radiatively driven stellar wind (Krtička & Kubát 2001):

- *continuity equation* for each component a

$$\frac{d}{dr} (r^2 \rho_a v_{ra}) = 0,$$

- ρ_a is the density of component a
- v_{ra} is the radial velocity of component a

Multicomponent model equations

- *momentum equation* for each component a

$$v_{ra} \frac{dv_{ra}}{dr} = g_a^{\text{rad}} - g - \frac{1}{\rho_a} \frac{d}{dr} (a_a^2 \rho_a) + \frac{q_a}{m_a} E + \sum_{b \neq a} g_{ab}^{\text{fric}}$$

- g_a^{rad} is the radiative acceleration either due to the lines in the CAK approximation (Castor, Abbott & Klein 1975) or due to free electrons
- g is the gravity acceleration
- a_a is the isothermal sound speed
- E is the electric polarization field
- g_{ab}^{fric} is the frictional acceleration

Multicomponent model equations

- *energy equation* for each component a

$$\frac{3}{2}v_{ra}\rho_a \frac{da_a^2}{dr} + \frac{a_a^2\rho_a}{r^2} \frac{d}{dr} (r^2v_{ra}) = Q_a^{\text{rad}} + \sum_{b \neq a} (Q_{ab}^{\text{ex}} + Q_{ab}^{\text{fric}})$$

- Q_a^{rad} is the radiative heating/cooling calculated using the thermal balance of electrons method (Kubát et al. 1999)
- Q_{ab}^{ex} is the heat exchange
- Q_{ab}^{fric} is the frictional heating
- we neglect Gayley-Owocki heating (Gayley & Owocki 1994)

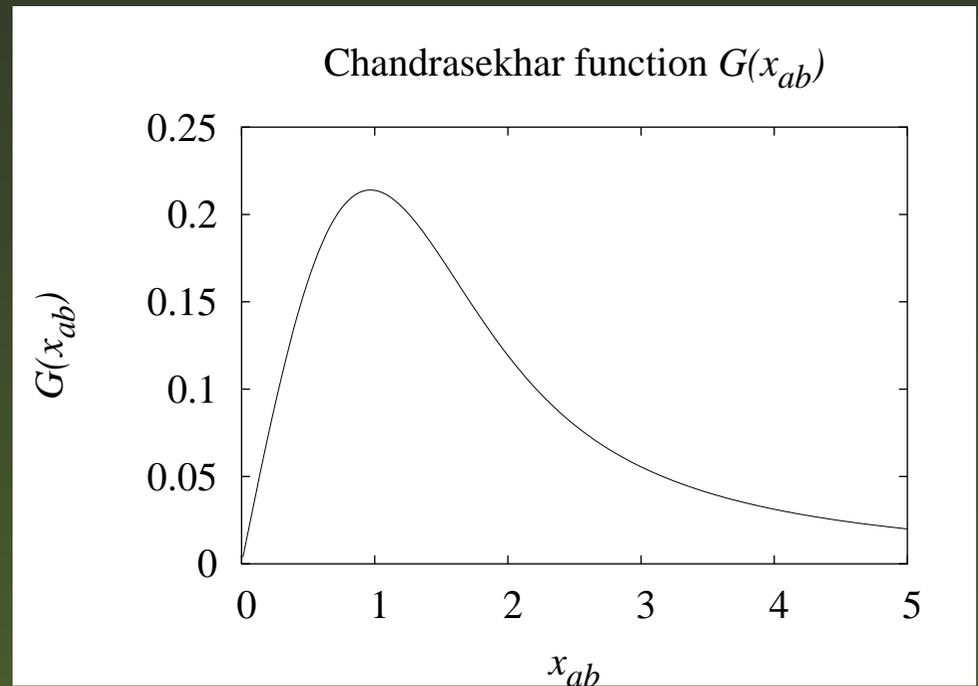
Important simplifications

- radiative force in the CAK approximation with force parameters after Abbott (1982) \Rightarrow possibly incorrect wind parameters
- ionization equilibrium approximated using “nebular approximation” (Mihalas 1978) \Rightarrow significantly influences the frictional force
- neglected wind instabilities (Owocki & Puls 1999)
- neglected magnetic fields (ud-Doula & Owocki 2002)
- only Coulomb collisions accounted for the calculation of the frictional force

The frictional force

The frictional force depends on the velocity difference via the Chandrasekhar function

$$G(x) = \frac{\Phi(x) - x \frac{d\Phi(x)}{dx}}{2x^2},$$
$$x = \frac{|v_{rb} - v_{ra}|}{\alpha_{ab}}.$$



- for $x \gtrsim 1$ is $G(x)$ decreasing function, this behaviour enables *decoupling* of wind components

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 - hydrogen and helium decoupling
- decoupling of wind components in the atmosphere
 - helium decoupling \Rightarrow helium-free wind, possible helium overabundance in the atmosphere
 - hydrogen and helium decoupling \Rightarrow metallic stellar wind only

Helium decoupling

- proposed by Hunger & Groote (1999) as the explanation of chemical peculiarity of Bp stars

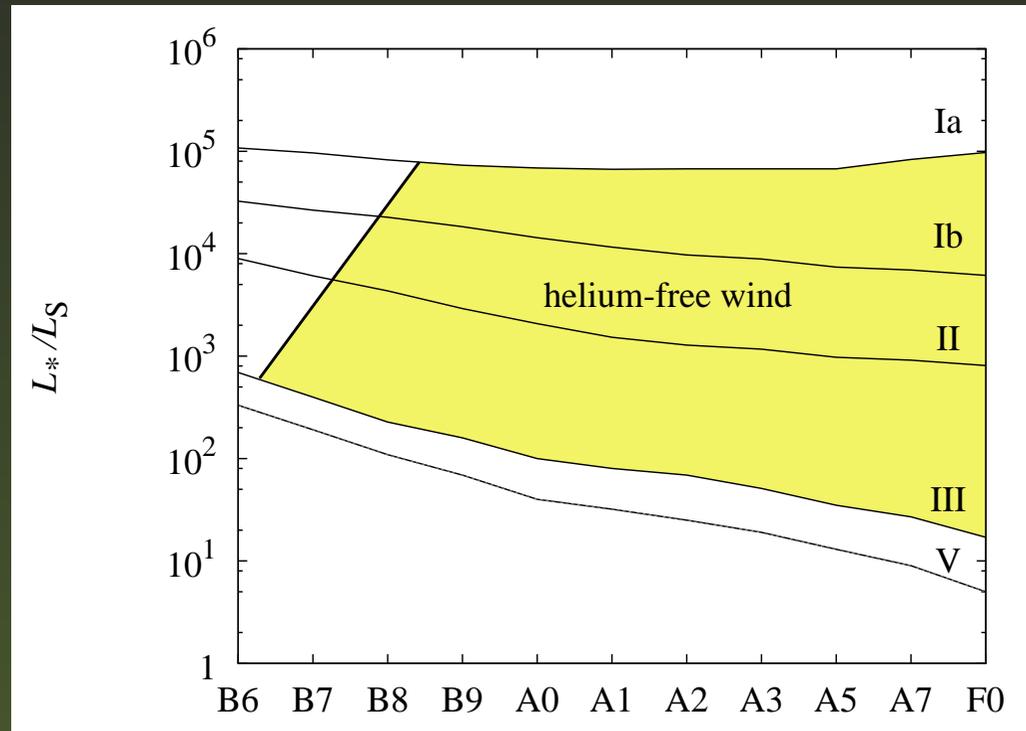
Helium decoupling in the atmosphere – the frictional acceleration lower than the gravity acceleration:

$$g_{\alpha p}^{\text{fric}} < g,$$

⇒ for solar metallicity stars helium decouples when the mass-loss rate is lower than

$$\dot{M} \lesssim 2 \cdot 10^{-16} M_{\odot} \text{ year}^{-1} \left(\frac{M}{M_{\odot}} \right) \left(\frac{T_{\text{eff}}}{10^4 \text{ K}} \right)^{3/2} z_{\alpha}^{-2}$$

Helium decoupling in HR diagram



- due to its low charge z_α helium is not present in the stellar wind of A stars (Kubát & Krtečka 2003)
- helium may be overabundant in A star atmospheres

Frictional heating

The multicomponent effects are found to be important when the velocity difference is comparable with the thermal speed (Krtička et al. 2003),

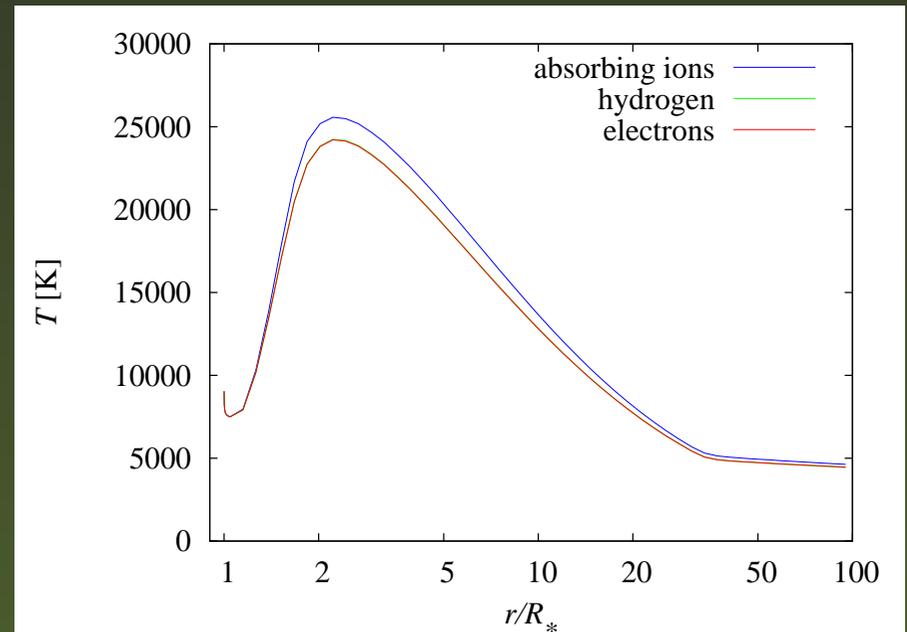
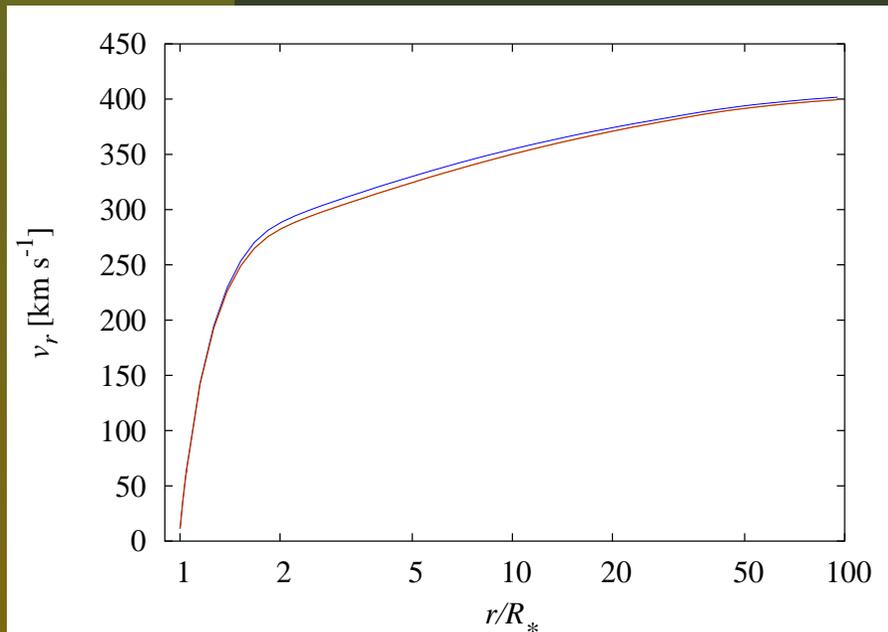
$$\frac{v_{ri} - v_{rp}}{\sqrt{\frac{2kT}{m_p}}} \gtrsim 0.1.$$

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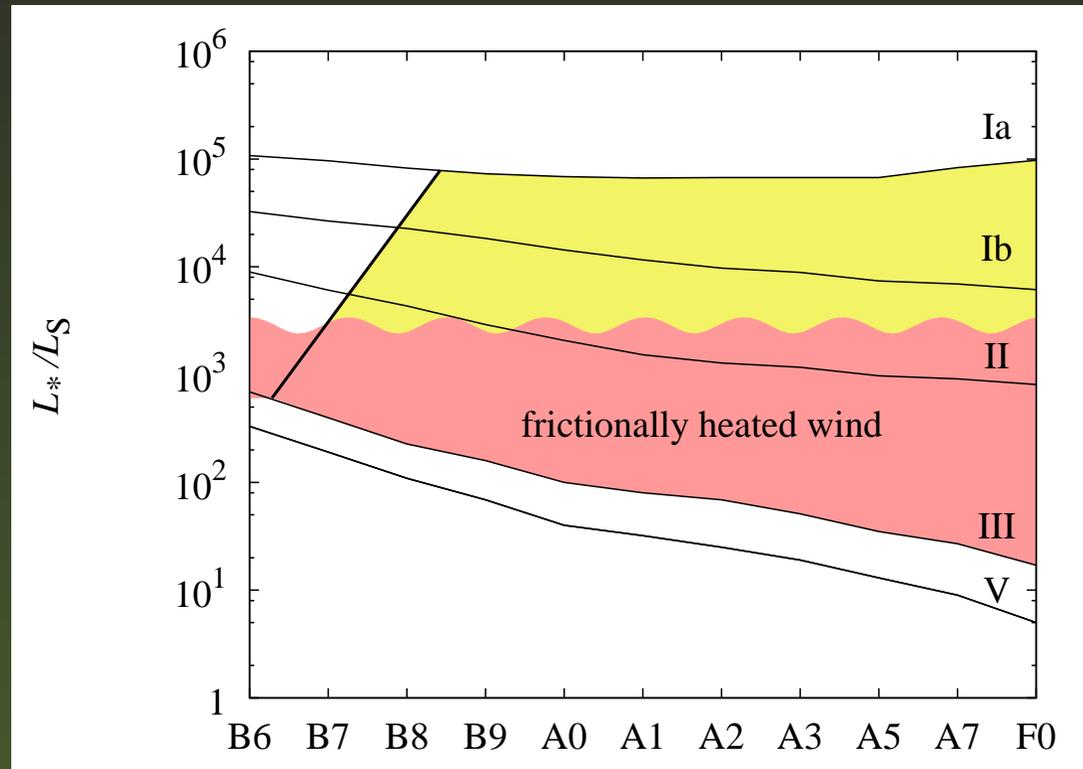
$$\dot{M} \lesssim 10^{-10} M_{\odot} \text{ year}^{-1} \left(\frac{v_{\infty}}{10^8 \text{ cm s}^{-1}} \right)^3 \left(\frac{R_*}{R_{\odot}} \right) \left(\frac{T_{\text{eff}}}{10^4 \text{ K}} \right) \frac{1}{z_{\text{H}}^2 z_{\text{i}}^2}.$$

Frictional heating in the stellar wind

Example of the frictionally heated wind of A5II star
($T_{\text{eff}} = 8\,300\text{ K}$, $M_* = 5.5 M_{\odot}$, $R_* = 15.1 R_{\odot}$)



Frictional heating in HR diagram



- stellar wind of bright giants is heated by friction

Hydrogen decoupling

Hydrogen decoupling occurs when the velocity difference is equal to the thermal speed,

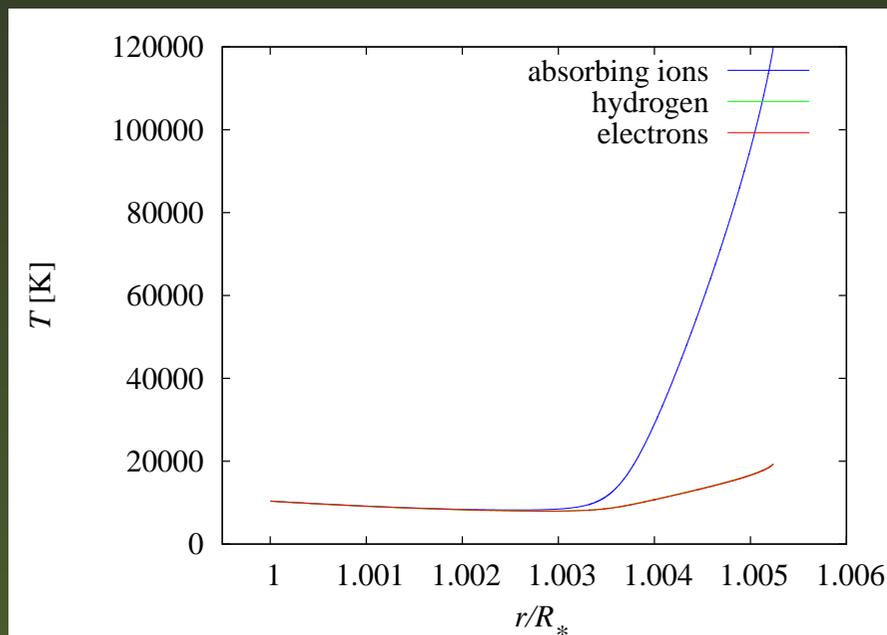
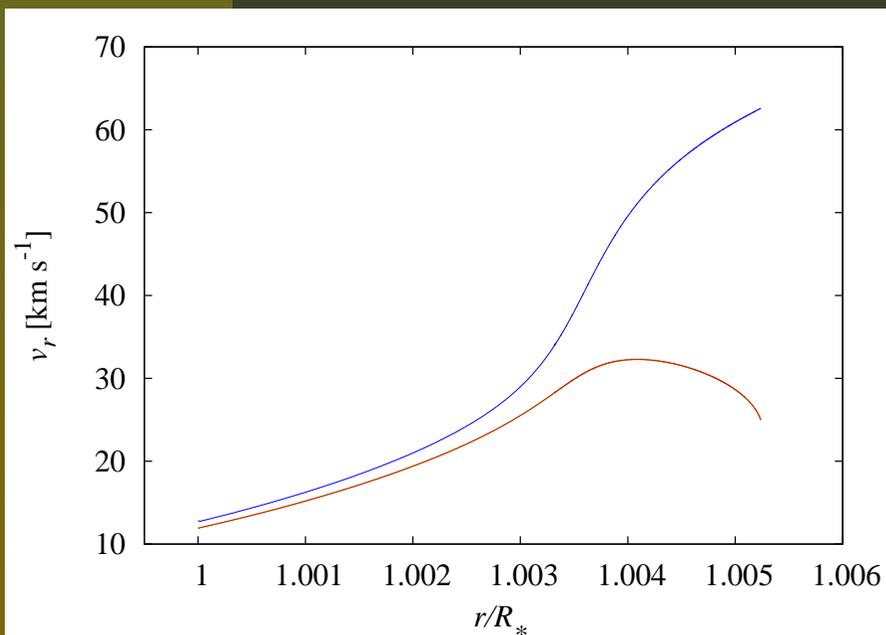
$$\frac{v_{ri} - v_{rp}}{\sqrt{\frac{2kT}{m_p}}} \approx 1.$$

After decoupling

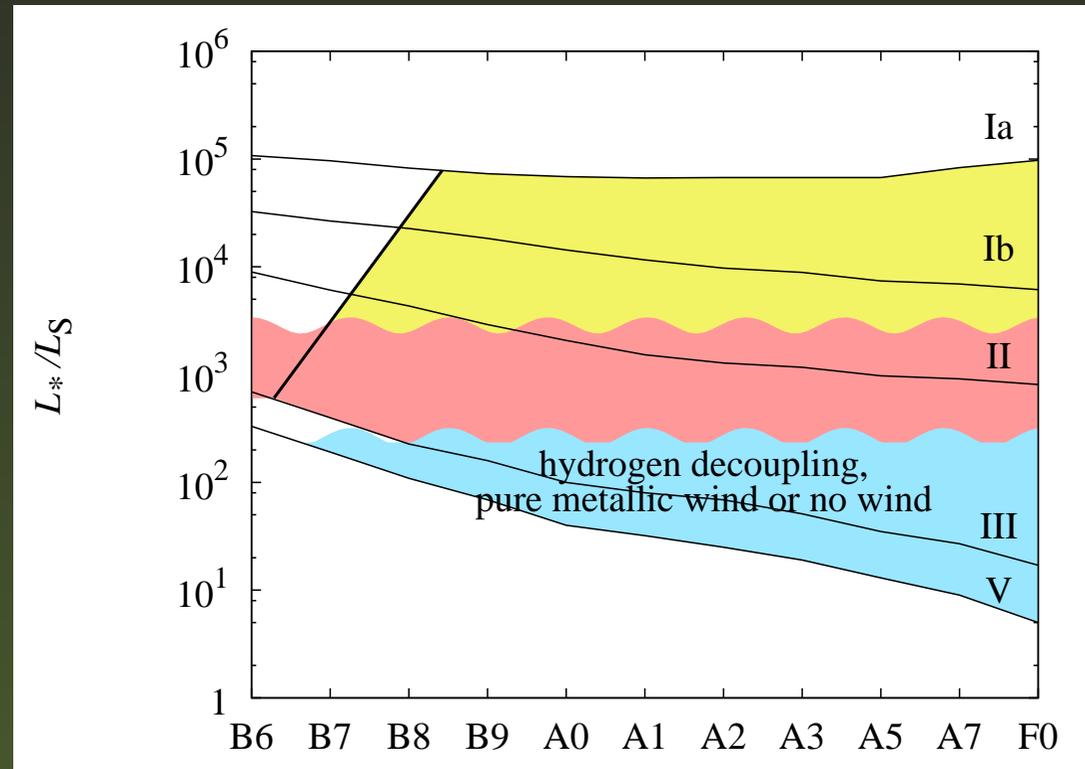
- hydrogen leaves the star if $v_H > v_{\text{esc}}$,
- hydrogen falls back onto the stellar surface or forms clouds above the surface (Porter & Skouza 1999),
- hydrogen decouples in the atmosphere, only pure metallic wind exist (Babel 1995, Babel 1996).

Hydrogen decoupling

Hydrogen decoupling in the wind of A0III star
($T_{\text{eff}} = 9\,600\text{ K}$, $M_* = 2.7 M_{\odot}$, $R_* = 3.63 R_{\odot}$)

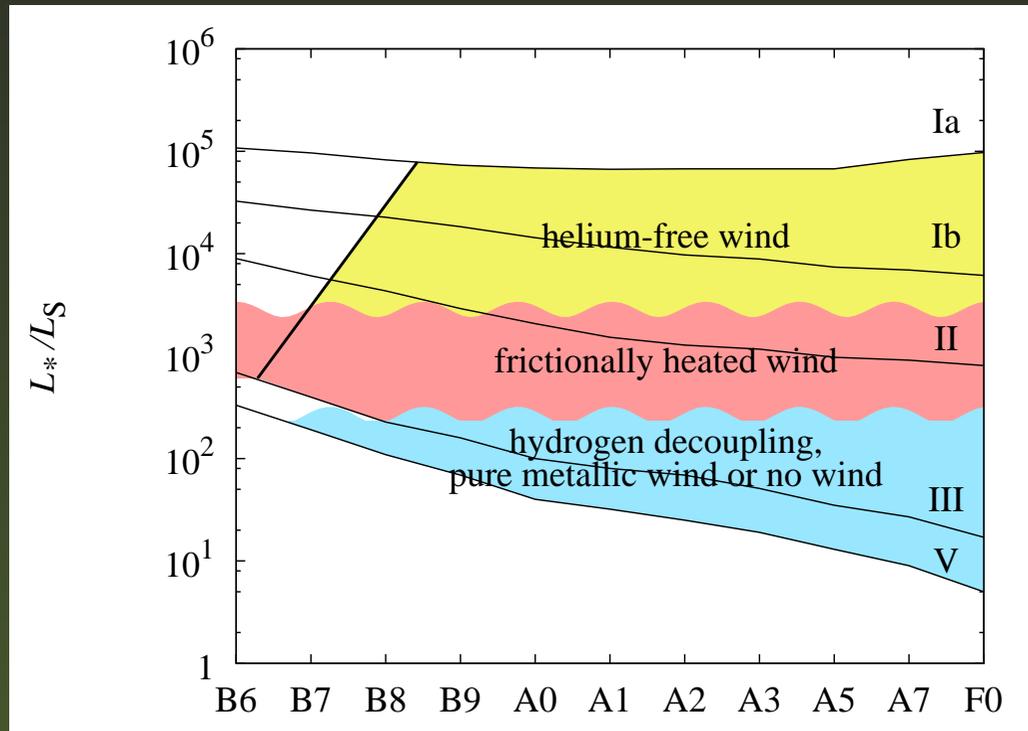


Hydrogen decoupling in HR diagram



- hydrogen decouples in the stellar wind of A giants or A giants may have pure metallic wind

Conclusions



- multicomponent effects *may* be important for those A stars which have stellar wind
- more advanced (NLTE) models are necessary to study these effects in detail